Indian Olympiad Qualifier in Mathematics Answer Key

October 2, 2025

For IOQM Exam 2025 held on 7th September (final)

	Set M1	Set M2	Set M3	Set M4
Q1	40	40	40	40
$\mathbf{Q2}$	17	17	17	17
$\mathbf{Q3}$	18	18	18	18
$\mathbf{Q4}$	06	06	06	06
$\mathbf{Q5}$	45	45	45	45
$\mathbf{Q6}$	15	28	15	54
$\mathbf{Q7}$	46	15	28	48
$\mathbf{Q8}$	48	48	54	46
$\mathbf{Q9}$	28	54	48	28
$\mathbf{Q}10$	54	46	46	15
Q11	26	26	40	40
$\mathbf{Q12}$	33	60	60	33
Q13	60	33	33	12
$\mathbf{Q}14$	12	12	12	26
Q15	40	40	26	60

	Set M1	Set M2	Set M3	Set M4
Q16	22	29	22	22
Q17	23	22	29	29
Q18	40	23	42	23
$\mathbf{Q}19$	29	42	23	40
$\mathbf{Q20}$	42	40	40	42
$\mathbf{Q21}$	49	66	03	53
$\mathbf{Q22}$	66	49	36	03
$\mathbf{Q23}$	03	53	49	36
$\mathbf{Q24}$	53	03	66	66
$\mathbf{Q25}$	36	36	53	49
$\mathbf{Q26}$	10	19	10	10
$\mathbf{Q27}$	40	10	19	19
$\mathbf{Q28}$	91	10	40	40
$\mathbf{Q29}$	19	40	10	10
$\mathbf{Q30}$	10	91	91	91

Explanations

- A total of 2746 challenges were received (some challenges are potentially duplicates).
- Out of these, 1740 challenges were for (Q11/M1, Q11/M2, Q15/M3, Q14/M4). The answer for this question was erroneously mentioned as 61 (which, as many students observed, is impossible) in the provisional key. The correct answer is 26 and this was a typo on our part. The challenge is **ACCEPTED** and the key has been accordingly changed to 26.
- Another 430 challenges were about (Q23/M1, Q24/M2, Q21/M3, Q22/M4). iI was pointed out that a different answer than one in the official key can be obtained if one considers the point C to coincide with N (degenerate situation). The calculations in this case are significantly simpler since the condition that C, D, M, N lie on a circle becomes vacuous (any three points lie on a circle). The committee felt that since the degenerate situation led to an explicit condition becoming vacuous, it cannot be considered as a valid case of the same problem. It is also clear that if a student worked out the complete span of possibilities in this case, they would have considered the non-degenerate case as a more fitting response. The committee therefore decided not to award any points for the alternate answer. The challenge is accordingly REJECTED.
- Some students (<10) also pointed out the obvious typo in the "notes" where $gcd(\sqrt{a}, b)$ appeared in print instead of gcd(a, b). This has not confused most students (given that the notation is standard) and in any case the only situation in which it was used was when the gcd was required to be 1 the alternate interpretation would not cause any issues since greatest common divisor of m and n is 1, iff same holds for that of m^2 and n. Therefore, no cause for compensatory marks arises.
- No other challenges were found to be significant/reasonable for a response. Note that a few students (< 10) also raised different queries (e.g. quality of print etc.) in the form. Please note that the form is meant only for academic challenges and these are not being responded to.